

On Signals of Quark-Gluon Plasma Freeze-Out

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Abstract

The time-scales of rehadronization are considered for a baryon-free QGP at RHIC and LHC energies. The non-equilibrium nucleation scenario leads to the development of mechanical instability of the supercooled QGP phase which then may be suddenly converted in a timelike deflagration from the supercooled state to a (super)heated hadronic matter. In a model simulation such a sudden process was indeed possible and satisfied energy and momentum conservation with non-decreasing entropy. It is possible to reach a hadronic state frozen out immediately after the timelike deflagration. If a TD leads to a simultaneous hadronization and freeze-out, the conditions of a *pion-flash* are satisfied. This rehadronization mechanism is signalled by a reduced (if not vanishing) difference between the sideways and outward components of Bose-Einstein correlation functions, in the observation of the free masses of the resonances in the dilepton spectra, and in a clean strangeness signal of the QGP.

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We consider here the conditions for a sudden bulk transition from Quark - Gluon Plasma (QGP) to hadronic gas. The presentation follows rather closely the lines of refs. [1,2], which are updated here with references to more recent theoretical and experimental developments.

Sudden rehadronization mechanisms are assumed to exist in models which are successful in describing the strangeness composition of the hot hadronic matter at CERN SPS energies [3,25]. As we shall see, the sudden hadronization and simultaneous freeze-out may reveal itself not only in the chemical composition of the produced particles but also in the observed Bose-Einstein correlations (BEC-s) and in the unchanged positions of the resonance-peaks in the di-lepton spectrum [1,2].

The research reported here is a small contribution to the large experimental and theoretical programmes which were launched recently for studying the properties of Quantum Chromo Dynamics (QCD) at high temperatures and energy densities [4]. At BNL reactions of *Au* nuclei with 200 AGeV cms energy are expected to create a hot blob of gluons and quarks, while *Pb* nuclei are to be collided at the CERN LHC with 6.3 ATeV energy in the c.m. frame. The nuclei pass through each other at these high energies, leaving behind a highly excited volume filled with gluons and quarks [5].

Supercooling, entropy production and bubble kinetics in the Quark-Gluon Plasma were already studied 10 years ago, see e.g. refs. [6,7]. However, at that time no dedicated nucleation calculations were performed, e.g. the dynamical pre-factor [8] was not known and the effects coming from the admixture of hadronic bubbles to the supercooled QGP were neglected [6]. The phenomenology of the high energy heavy ion collisions in the RHIC and LHC energy region was not even considered and some of the calculations were performed [6] in the context of the hadronization of the early universe.

The dynamics of the rehadronization of the expanding and cooling plasma phase is very sensitive to the formation rate of hadronic bubbles inside the plasma. In the thermally overdamped limit the characteristic nucleation time was found to be of the order of 100 fm/c for a longitudinally expanding gas of gluons and massless quarks rehadronizing into a massless pion gas [8]. Let us recite these results which we need for our considerations about

the time-scales of the ultra-relativistic heavy ion collisions. The plasma will cool according to the law $T(t) = T_0(t_0/t)^{1/3}$ until $t_c \approx 3$ fm/c. The matter continues to cool below T_c until to about $0.95 T_c$ when noticeable nucleation begins. When the temperature has fallen to a “bottom” temperature, $T_b \approx 0.8T_c$, bubble formation and growth is sufficient to begin the reheating the system at about $t_b \approx 7$ fm/c. When the temperature exceeds about $0.95 T_c$ nucleation of new bubbles shuts off. The transition continues only because of the growth of previously created bubbles. Compared to the idealized adiabatic Maxwell-Boltzmann construction which assumes phase equilibrium at T_c the finite transition rate delays the completion of the transition by ≈ 11 fm/c, yielding a completion time of $t_{com} = 50$ fm/c. Detailed calculations including dilution factor for the bubble formation, spherical expansion, bubble fusion and varying the values for the surface tension do not change the qualitative behavior of the rehadronization process. According to the calculations in [9], the time-scales become somewhat shorter, due to the fusion of the bubbles.

Present experiments indicate early freeze-out: i) HBT results, ii) strange antibaryon enhancement, iii) high effective temperatures and iv) unchanged hadronic masses.

Detailed scan of the freeze-out surface is given by the side, out and longitudinal components of the Bose-Einstein correlation function (BECF) at various rapidities and transverse momenta [10]. The longitudinal radius, R_L , is proportional to the freeze-out proper-time, t_f , since the BECF measures only that piece of the longitudinally expanding tube, where the rapidity distributions belonging to different spatial rapidities overlap (thus pions with similar momenta emerge). The size of this region is characterized by $\Delta\eta$, the width of the rapidity distribution at a fixed value of the spatial rapidity [11]. For one dimensional expansion the length of the region with a given spatial rapidity width is just $t\Delta\eta$. The hydrodynamical formalism gave the result [12] $R_L = t_f\Delta\eta = t_f\sqrt{T_f/m_T}$, where T_f is the freeze-out temperature and m_T is the transverse mass of pions. This result was confirmed in a detailed three dimensional hydrodynamical simulation which included transverse flow, nontrivial freeze-out geometry and resonance contributions to the pion spectra [13]. The side component, $R_{T,side}$, measures the geometrical radius of the pion source at the freeze-out time, [10]. The out

component, $R_{T,out}$ is sensitive also to the duration of the pion emission [11,14].

These relationships have recently been further elaborated and the corrections to R_L due to the finite longitudinal size have been found [14], and are known to be very small. It has been also pointed out that the $R_{T,side}$ measures the transverse geometrical size only if the transverse expansion and the gradients of the freeze-out temperature are negligible [14–17].

The BECF in terms of the momentum difference of the pair, \mathbf{Q} , is fitted with the form $C(Q_{T,side}, Q_{T,out}, Q_L) = 1 + \lambda \exp(-R_{T,side}^2 Q_{T,side}^2 - R_{T,out}^2 Q_{T,out}^2 - R_L^2 Q_L^2)$. The intercept parameter, λ , stands for particle mis-identification, acceptance cuts and long-lived resonance effects. Both NA35 and NA44 found that the side, out (and longitudinal!) radii are the same within the experimental errors [4]. This indicates that the duration of particle emission is short, $\Delta\tau < 2$ fm. The resonance decays are expected to create a larger width of pion emission [11,13]. If one distinguishes between the width of the freeze-out times for directly produced pions and resonances, and the broadening of the width of pion emission due to the resonance decays, one finds that the duration of freeze-out for the directly produced particles must be very short, of the order of 1 fm/c. In a first order phase transition the system has to spend a long time in the mixed phase to release latent heat and decrease the initially high entropy density, implying a large difference between the side and out radii, [11,14].

The transverse radius parameter of BECF-s scales with the rapidity density for high energy reactions as $R_L = R_{T,side} = R_{T,out} = c(\frac{dn^\pm}{dy})^{1/3}$. This scaling was shown to be valid for the transverse radius independently of the type and energy of the reaction including UA1, AFS, E802, NA35 and NA44 data, and can be explained based on general freeze-out arguments [23]. The exponent (1/3) indicates that pions freeze out at a given critical density and that the longitudinal radius is proportional to the transverse one. Actually they turned out to be equal, within NA35 and NA44 errors. Note that the original version of the freeze-out argument [23] was presented for longitudinally expanding infinite systems, however it can be reformulated to include three dimensional expansion without a change in the result.

We use the above trend in the data at presently available energies to estimate the freeze-

out proper-time at RHIC and LHC energies with a conservative extrapolation. The proportionality constant, c , was determined to be 0.9 using the $C = 1 + \lambda \exp(-R^2 Q^2/2)$ convention for the transverse radius [4]. Thus for our earlier mentioned parametrization the constant of proportionality is decreased by $\sqrt{2}$, which yields $c = 0.64$.

The charged particle rapidity density is about 133 at midrapidity for central $^{32}\text{S} + ^{238}\text{U}$ collisions at CERN SPS corresponding to $R_L = 4.5 \pm 0.5$ fm.

The charged particle rapidity density was shown to scale with the projectile mass number in case of symmetric collisions as $\frac{dn^\pm}{dy} = 0.9A^\alpha \ln(\sqrt{s}/2m_p)$, where the exponent α was found to be in the region $1.1 \leq \alpha \leq 4/3$ [24]. Combining these equations the target mass and energy dependence of the freeze-out time, t_f , is given as

$$t_f = 0.58A^{\alpha/3} \sqrt{m_T/T_f} \ln^{1/3}(\sqrt{s}/2m_p). \quad (1)$$

For various high energy heavy ion reactions we estimate the freeze-out proper-time using a conservative $\alpha = 1.3$. The number of pions with a given m_T is exponentially falling, the relative number of pions with $m_T \geq 2T_f$ is rather small, which would give $\sqrt{m_T/T} \approx 1. - 1.4$. Note, however, that our knowledge on the freeze-out temperature T is rather limited because the transverse flow and the freeze-out temperature appear in the effective slope parameter of the transverse momentum spectrum in a combination only [18,15,16,19]. A simultaneous analysis of the preliminary invariant momentum distribution and the published Bose-Einstein correlation function parameters of both pions and kaons at CERN SPS indicates that the freeze-out temperature parameter may be surprisingly low, $T \approx 80$ MeV [20], which would in turn imply $\sqrt{m_T/T} \approx 1.4 - 2.0$. This uncertainty in the value of the freeze-out temperature further increases the estimated errors on the mean freeze-out time.

i) Summarizing the above, trends in present HBT data imply freeze-out time of 6-10-12 fm/c at CERN SPS for Pb + Pb, 8-13-16 fm/c at RHIC for Au + Au and 11-16-22 fm/c at LHC Pb + Pb collisions. At these times the system is close to the bottom of the temperature curve, in the deepest supercooled quark-gluon plasma (QGP) state, according to the calculations in [8,9].

ii) The idea that QGP has to hadronize suddenly from a deeply supercooled state has the consequence that the strange particle composition [22] and especially the production rate of strange antibaryons as suggested by [25,26] could become a clean signature of the QGP formation at RHIC and LHC energies as well as at the present CERN SPS energy. The WA85 collaboration found large production rates of strange antibaryons at CERN SPS S + W interactions [26]. The ratio for Ξ^-/Λ observed by WA85 was found to be compatible with those from other interactions. However, the ratio $\Xi^-/\bar{\Lambda}$ was found to be more than three times greater than those obtained for p + p by the AFS collaboration, (a four standard deviation effect). Previous, larger value for the enhancement was a factor of five, a two standard deviation effect, which was reproduced by a sudden rehadronization from QGP near equilibrium, assuming fixed strangeness abundance [25]. Sudden spacelike detonations and deflagrations from a supercooled baryon rich QGP were related to strangeness enhancement at CERN SPS energies in refs. [27,28].

iii) At lower energies the effective temperature for the protons (baryons) is larger than that of pions [30] after the freeze-out of a hot fireball where resonances (deltas) had been in thermal equilibrium, and decayed after the freeze-out. The effective slope of the baryons is about 10% lower, than the freeze-out temperature. As it was noted by the NA35 collaboration at QM'93 [4] all strange particle transverse mass spectra are well described by a single exponential corresponding to "temperatures" of about 210 ± 20 MeV, which are difficult to understand in a conventional hadron gas picture. The latent heat during a sudden breakup might be released as kinetic energy of the hadrons [31] in a timelike deflagration (TD). This may happen since the pressures before and after the TD hypersurface are not necessarily equal, thus part of the latent heat may be converted to work. This is in qualitative agreement with the observation that the multi-strange antibaryons observed by the WA85 collaboration at transverse momenta above 1.2 GeV/c show an effective $T_{slope} \approx 230$ MeV. Pions exhibit a more moderate slope parameter than strange baryons. This can be attributed either to the decays of baryonic resonances which produce dominantly low p_T pions or due to finite size effects which may result in a rapidity-dependent low- p_t enhance-

ment for pions and kaons [19]. In the transverse mass window of the WA85 experiment, the slope parameter of the pions is about the same as the slope parameter of the (multi-strange) baryons.

iv) In dense and hot matter hadronic masses are expected to decrease [4]. Nevertheless, in the dilepton spectra the observed masses of hadronic resonances (e.g. ϕ) were almost identical to their free masses in heavy ion reactions at SPS energies. This can be attributed to simultaneous hadronization and freeze-out, where the medium effects are ceased to exist, when hadrons are formed. The first observed shift in the mass of the ϕ mesons at BNL AGS has been reported at the Quark Matter'95 conference recently. The mass shift has been found to be rather small (cca a 3 standard deviation effect on a much smaller scale than the shift predicted from theoretical models assuming a long-lived phase mixture) [21].

Thus from trends in interferometry data the *freeze-out* time scale is short enough to prevent reheating and full *rehadronization* through bubble formation exclusively. This in turn implies that other mechanisms must dominate the final stages of the hadronization.

Dynamics of sudden freeze-out. Using a critical temperature $T_c = 169$ MeV [8] the pressure, p , of the supercooled QGP vanishes at $T = 0.98T_c$ already. The temperature of the system in the supercooled phase reaches $T = 0.7 - 0.9T_c \simeq 120 - 150$ MeV [9]. At such low temperatures the pressure of the QGP phase takes large *negative* values in the bag model. Systems with negative pressure are *mechanically unstable*, either they don't fill the available volume or they spontaneously cluster.

The mechanical instability of the QGP phase below $0.98 T_c$ and the typical 100 fm/c nucleation times are the basic reasons for the sudden rehadronization which we propose. The expansion in an ultra-relativistic heavy ion collision is so fast, that the temperature drops below T_c by 20-30 % before nucleation starts reheating the system. By that time the QGP is far in the mechanically unstable region. With the help of a timelike deflagration (TD) the system may jump from a mechanically unstable phase to a mechanically stable and thermodynamically (meta)stable phase, the (superheated) hadron gas state.

Let us consider the sudden freeze out from supercooled QGP [32,33,27]. Relativistic

TD-s are governed [33] by conservation of the energy-momentum tensor and the entropy current across the front, expressed by the Taub adiabat,

$$\frac{p_1 - p_0}{X_1 - X_0} = \frac{\omega_1 X_1 - \omega_0 X_0}{X_1^2 - X_0^2}, \quad (2)$$

the Rayleigh-line and the Poisson-adiabat,

$$\frac{p_1 - p_0}{X_1 - X_0} = \omega_0 \quad \text{and} \quad \frac{s_1^2}{\omega_1} = \frac{R^2 s_0^2}{X_1 \omega_0}. \quad (3)$$

Here $\omega_i = \varepsilon_i + p_i$ denotes the enthalpy density, the quantity X_i is defined as $X_i = \omega_i (U_i^\nu \Lambda_\nu)^2 / \omega_0 (U_0^\nu \Lambda_\nu)^2$ the entropy density is denoted by s_i , the four-velocity relative to the deflagration hypersurface (characterized by the timelike normal vector Λ^ν) is given by U_i^ν . The index 0 refers to the quantity before the TD, while 1 refers to it after TD. The flow velocities in general are different before and after the spacelike or timelike hypersurface of the deflagration or detonation. Up-to date calculations of flow velocities before and after the transition were reported in ref. [29]. If the flow follows a scaling Bjorken-expansion (either in one or in three dimensions) both before and after the TD, and the TD hypersurface is given by a constant proper-time, the above equations can be simplified. The Taub adiabat reduces to $\varepsilon_1 = \varepsilon_0$, the Rayleigh-line becomes an identity and the Poisson-adiabat simplifies to the requirement that $R = s_1/s_0 \geq 1$. If a TD starts from a 30% supercooled state the initial state is a mixture including 15-25% hadronic phase. The initial energy density in terms of the volume fraction of hadrons, h , is given by $\varepsilon_0(T_0) = h\varepsilon_H(T_0) + (1-h)\varepsilon_Q(T_0)$ and the expression for the entropy density is similar. In the bag model, the energy and entropy densities are given as $\varepsilon_Q = 3a_Q T_Q^4 + B$, $\varepsilon_H = 3a_H T_H^4$, $s_Q = 4a_Q T_Q^3$, $s_H = 4a_H T_H^3$ with coefficients $a_Q = (16 + 21n_F/2)\pi^2/90$ and $a_H = 3\pi^2/90$. The bag constant is given by $B = (a_Q - a_H)T_c^4$. The quantity $r = a_Q/a_H$ gives the ratio of the degrees of freedom of the phases. Given the initial temperature and hadronic fraction by the nucleation scenario, the Taub and Poisson adiabats yield the entropy ratio and the temperature after the TD as

$$\frac{T_1}{T_c} = \left[\frac{x-1}{3} + x \frac{T_0^4}{T_c^4} \right]^{1/4}, \quad R = \frac{1}{x} \left[\frac{T_1}{T_0} \right]^3, \quad (4)$$

where the ratio of the effective number of degrees of freedom is given by $x = h + r(1 - h)$. These equations provide a range for possible values of $T_H = T_1$ and $T_Q = T_0$ for a given initial hadronic fraction, h , given by

$$\begin{aligned} \left[\frac{x-1}{3}\right]^{1/4} &\leq \frac{T_H}{T_C} \leq \left[\frac{x-1}{3(1-x^{-1/3})}\right]^{1/4}, \\ 0 &\leq \frac{T_Q}{T_C} \leq \left[\frac{x-1}{3(x^{4/3}-x)}\right]^{1/4}, \end{aligned} \tag{5}$$

which are visualized on Figures 1 and 2 for $n_F = 2$ and $n_F = 0$, respectively. The largest possible values for the temperature of the hadronic phase as well as the minimum supercooling in the initial phase-mixture corresponds to adiabatic ($R = 1$) TD-s. Entropy production in the transition *decreases* both the final and the initial temperatures at a given h .

FIGURES

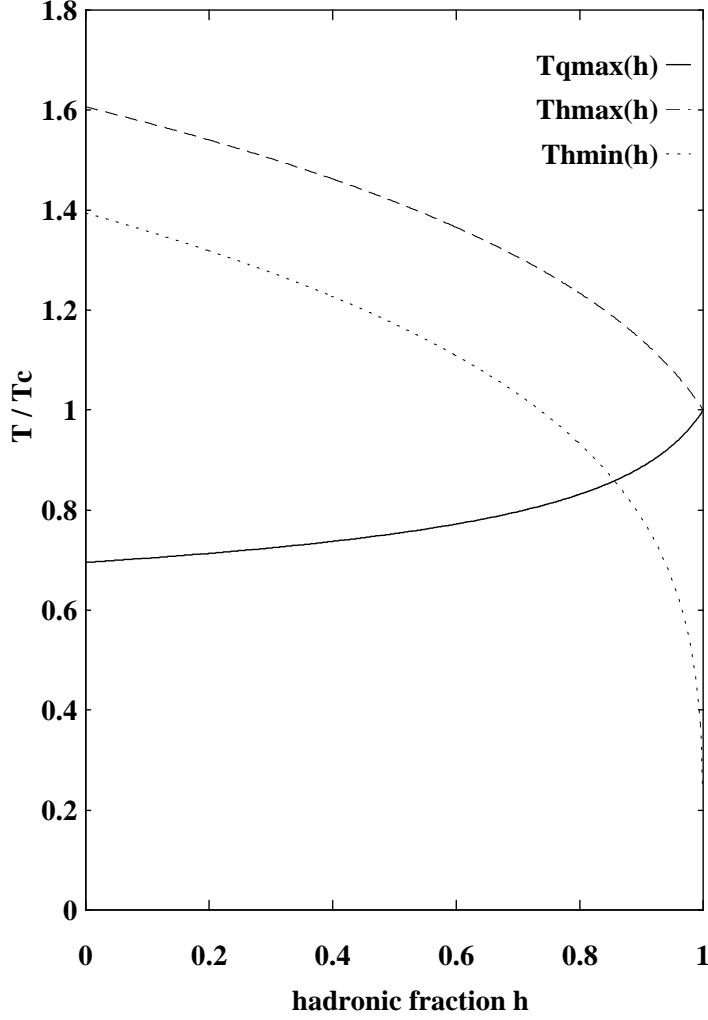


FIG. 1. Temperature limits for the initial and final state for a timelike deflagration from supercooled Quark-Gluon Plasma to hadron gas, $r = 37/3$. Solid line indicates the upper limit for the temperature of the initial QGP phase mixed with hadronic bubbles occupying volume fraction h . Dashed and dotted lines stand for the upper and lower limit of the temperature of the hadronic gas state after the timelike deflagration, respectively.

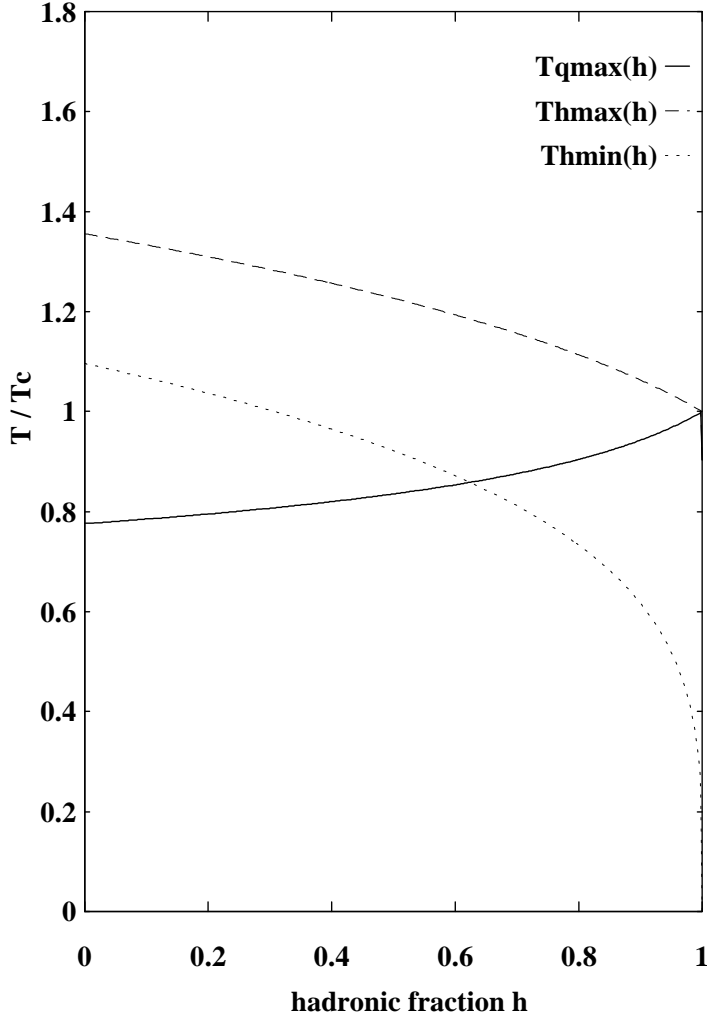


FIG. 2. Temperature limits for the initial and final state for a timelike deflagration from supercooled Gluonic Plasma to hadron gas, $r = 16/3$. Solid line indicates the upper limit for the temperature of the initial QGP phase mixed with hadronic bubbles occupying volume fraction h . Dashed and dotted lines stand for the upper and lower limit of the temperature of the hadronic gas state after the timelike deflagration, respectively.

For large initial hadronic fraction, $h \geq 0.9$, TD-s become possible to final frozen-out hadronic states.

The sudden hadronization may easily [27] but not necessarily end up with a superheated hadronic gas, which is not frozen out yet. The freeze-out time t_f can be calculated in a d

dimensional scaling Bjorken expansion model ($d = 1$ or 3) with the bag equation of state and including the entropy production in the nucleation scenario as:

$$\tau_f = r^{1/d} t_c \left(\frac{T_c}{T_f} \right)^{3/d} + \Delta t_f \quad (6)$$

where t_c is the proper-time when the critical temperature is first reached by the cooling QGP, T_f is the freeze-out temperature and Δt_f denotes the increase of the freeze-out time due to the non-adiabaticity of the nucleation. Thus the freeze-out time may be decreased by:

- *Decrease of r .* The quark degrees of freedom equilibrate much slower than the gluons during the first 3 fm/c at RHIC or LHC energies [34]. Pre-equilibrium parton dynamics followed by parton-hydrodynamics also indicates that the number of quarks is far below their chemical equilibrium value at RHIC and LHC [35]. A hot glue scenario is proposed too where a hot gluonic plasma develops from the pre-equilibrium parton collisions. By decreasing the effective number of flavours from $n_F = 2$ to $n_F = 0$ the ratio r decreases from $37/3$ to $16/3$.

- *Increase of d .* The time when QGP first reaches the critical temperature is prescribed by the Parton Cascade Model (PCM) calculations for the first 3 fm/c [5] and the subsequent hydrodynamical calculations. If we start the hydrodynamical evolution at $t_I = 3.5$ fm/c with a temperature given by PCM as $T_I = 1.6T_c$, for a $d = 1$ Bjorken expansion the critical temperature is reached by $t_c(1) = 14.3$ fm/c while for a $d = 3$ expansion the critical temperature is reached by $t_c(3) = 5.6$ fm/c. Changing the dimension of the expansion from the initial value of 1 to the maximum value of 3 further decreases the cooling time in the hadronic phase from the critical temperature to the freeze-out temperature, as expressed by the factor $(T_c/T_f)^{(3/d)}$ in the previous equation.

- *Decrease of Δt_f .* The nucleation process is governed by the dissipation around the hadronic bubbles and leads to extra entropy production, thus a delay in the freeze-out time by Δt_f compared to the adiabatic expansion. If the TD happens at an early stage of the reaction, the net entropy production can be decreased since TD-s are governed by the

mechanical instability in QGP and by the balance equations across the front and not by dissipation. Thus an early TD may decrease Δt_f .

Converting part of the latent heat to kinetic energy during TD [31], the inclusion of higher mass hadronic resonances, the strange baryon excess and the finite timelike thickness of the deflagration front may decrease the temperature after TD and the freeze-out times even more.

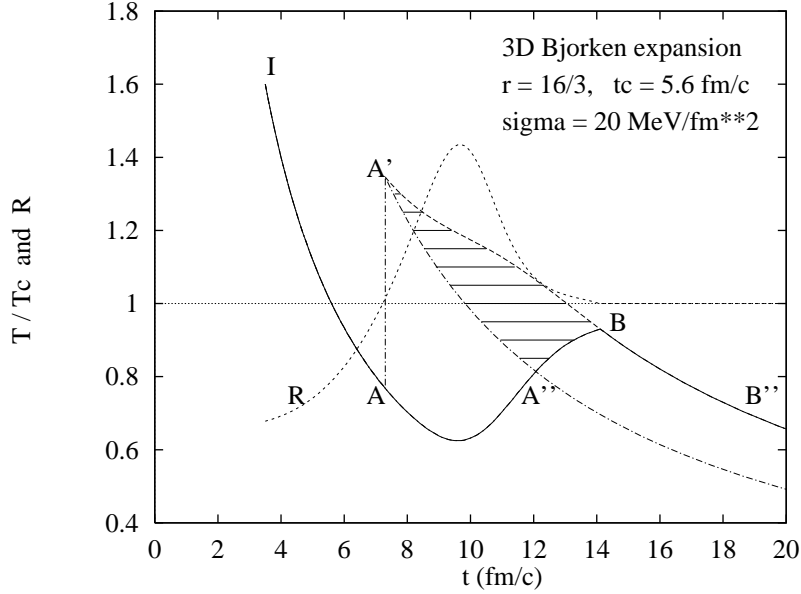


Fig. 3.: Opening of a new channel for a TD from supercooled $n_F = 0$ Gluonic Plasma to hadron gas. The label I indicates the initial state for a 3D scaling Bjorken expansion for $Au + Au$ collisions at RHIC energy, corresponding to a PCM temperature at $t = 3.5$ fm/c. The solid curve, $IAA''BB''$, stands for the nucleation scenario. The critical temperature is reached at $t_c = 5.6$ fm/c. The dotted line, labelled by R , indicates the entropy ratio for a sudden TD from the initial state (given by the nucleation scenario) to a hadronic final state. This becomes first possible at A where the system may jump to A' . TD-s from the points of the AB line vertically up to the points of the $A'B$ line are possible, since there $R \geq 1$. The available final states are within the hatched area due to entropy constrains. No bubble-fusion was considered, bubbles grew together with the scaling expansion of the matter, and the surface tension was $\sigma = 20$ MeV /fm².

A model calculation to confirm the above considerations is presented in Figure 3. The initial state, labelled by I corresponds to the PCM temperature curve [5] given as $T(t) = 950 \cdot (0.05 \text{ fm/c} / t)^{0.3} \text{ MeV}$. This state is taken as an initial state for a $d = 3$ scaling Bjorken expansion with $n_F = 0$. The entropy ratio R is below 1 in the beginning, indicating that TD-s are not yet allowed. The new channel for TD-s opens at $t = 7.3 \text{ fm/c}$ when the entropy ratio first becomes equal to 1. A sudden TD corresponds to a vertical jump from A to A', or to another vertical jump from any point of the AB curve to the $A'B$ (dashed) curve. This curve gives the upper bound for the temperature of the available final states. A lower bound may be also given since no final states are allowed with lower entropy than at A, which yields a Poisson adiabat $A'A''$. Thus the available final states with s_f are given by the hatched $A'A''B$ region since $s_I < s_A \leq s_F \leq s_B$.

In Figure 3, part of the hatched region lays below the $T/T_c = 1$ line which indicates that TD-s from the nucleation scenario to hot (but not superheated) hadronic gas are also possible. These transitions may happen at times close to the end of the nucleation where the initial hadronic fraction is already close to 1.

Note that the considerations presented here do not address the details of the microscopic processes which may govern the sudden rehadronization of the supercooled QGP. According to Fig. 3, the QGP may reach a supercooling of 30 % or even more, when the matter is not dense any more. Instead of the collective near-equilibrium interactions with the surrounding matter, quantum mechanical processes involving very few particles may dominate the transition. The characteristic transition times for such tunneling transitions have recently been calculated in the framework of the linear sigma model [36]. According to these results the characteristic transition times for the quantum mechanical transitions may be as short as 0.5 fm/c. Thus these quantum mechanical processes are very promising candidates to complete the transition within the time-limits imposed by the analysis and extrapolation of HBT data. Detailed numerical simulations will have to be performed to study this possibility.

Note also that the sudden rehadronization is the input assumption to the ALCOR model which successfully describes the strangeness production at CERN SPS energies [3]. Another

excellent phenomenological parameterization of the total number and the momentum distribution of the strange mesons and baryons has been reported at this conference [37], which is based on Glauber-type calculation of the wounded nucleons and wounded valence quarks. Unfortunately the details of the rehadronization to our knowledge were not addressed in this latter work.

In summary, we considered the time-scales of rehadronization for a baryon-free QGP at RHIC and LHC energies. The time-scale for reaching the bottom of the temperature curve during the cooling process via homogeneous nucleation [8] is surprisingly close to the time-scale of the freeze out, as estimated based on the analysis and extrapolation of present high energy HBT data. The non-equilibrium nucleation scenario leads to the development of mechanical instability of the supercooled QGP phase which then may be suddenly converted in a timelike deflagration from the supercooled state to a (super)heated hadronic matter. In a model simulation such a sudden process was indeed possible and satisfied energy and momentum conservation with non-decreasing entropy. It is possible to reach a hadronic state frozen out immediately after the timelike deflagration. If a TD leads to a simultaneous hadronization and freeze-out, the conditions of a *pion-flash* are satisfied. This rehadronization mechanism is signalled by a reduced (if not vanishing) difference between the sideways and outward components of Bose-Einstein correlation functions, in the observation of the free masses of the resonances in the dilepton spectra, and in a clean strangeness signal of the QGP. All of these signals have been observed already at CERN SPS reactions.

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